Discussion of

Is the working-capital channel important?

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Paper Overview





 Quantifies the working-capital channel: firms need to borrow to finance variable inputs

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Detailed firm-level price data from Sweden covering 1997-2016

- Quantifies the working-capital channel: firms need to borrow to finance variable inputs
- Introduces working-capital heterogeneity (WCH) into a workhorse DSGE model
- Identification via heterogeneous pass-through of monetary policy shocks
- Detailed firm-level price data from Sweden covering 1997-2016
- Result: evidence for a strong, functional WorkCap channel, i.e. firms raise prices following interest rate spikes

Ex-ante heterogenous MC curves

$$MC_{i,t} = \frac{(1+i_t)^{\delta_i} W_t N_t}{Y_t (1-\alpha)}$$

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- $\frac{\partial \pi_i}{\partial B} \propto \delta_i$ price response to interest rate shocks is firm-specific
- Question: if firm i operates in j sectors, will there be δ_{ij}, i.e. market-specific WorkCap requirements?

Strong Empirical Evidence for WCH



Working capital = receivables + inventories - (payables + pre-payments)

Comments

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Overview

- Taylor principle
- Disinflationary booms
- Frequency of price adjustment

- Identification
- Other comments

Taylor Principle

Strong WorkCap immediately implies instability of the Taylor principle

$$\hat{\pi}_t = \kappa (\hat{c}_t + \alpha \hat{R}_t) + \beta \mathbb{E}_t \hat{\pi}_{t+1}$$
$$\hat{R}_t = \rho \hat{R}_{t-1} + (1-\rho)(\rho_\pi \hat{\pi}_{t+1} + \rho_c \hat{c}_t)$$

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- ▶ Is the effect weaker/stronger with heterogeneous δ_i ?
 - Can compare plain vanilla NKDSGE+WC and NKDSGE+WCH
 - For WCH to work in the aggregate, probably need a bit of work

Disinflationary Booms

Many sticky price models imply booms that follow dis-inflations

 $\hat{\pi}_t = \kappa \hat{mc}_t + \beta \mathbb{E}_t \hat{\pi}_{t+1}$

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- When α = 0, fall in π̂_{t+1} implies higher marginal costs, i.e. output growth (assume κ > 0 and β < 1)</p>
- With WorkCap α > 0 dis-inflationary policies raise firms' variable input financing costs
 - Disinflation-output correlation breaks down
 - What is the Swedish experience? Riksbank announced inflation targeting swtich in 1993

Disinflationary Booms?



Eurostat; GDP, GDP deflator, HICP; all % change on previous period

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 - Underlying, fundamental differences in working capital financing
 - Could proxy firm-specific inalienable ability or product-specific requirements
- Observationally equivalent mechanism
 - Aggregate sensitivity to demand shocks grows with the Calvo devil or with WorkCap needs
 - Simple exercise: sort firms by WorkCap and compute average frequency (and size of) price adjustment in each quantile

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- For example: firm leverage
 - Risky firms may respond less to the same MP shock
 - Are high WorkCap firms also less levered?
- Solution 1: controls
- Solution 2: could tie up WorkCap with product markets
 - Exploit cross-product variation of WorkCap within the same firm

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Can use firm x time fixed effects

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- The model can be solved with the WorkCap as a new state; can compare model IRFs with empirical counterparts (panel VAR?)
- Why does WCH arise in the first place? Narrative

Conclusion

- Great data and paper
- Working capital heterogeneity is an interesting new channel
- Needs to decide what to focus on; lots of possible directions