# MONETARY UNIONS WITH HETEROGENEOUS FISCAL SPACE

Marco Bellifemine LSE

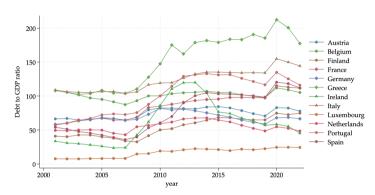
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Rustam Jamilov Oxford

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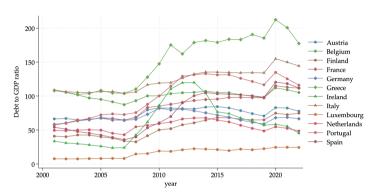
# PUBLIC DEBT IN THE EUROZONE



Notes: Only countries that were members of the eurozone as of 2001 are included. Source: International Monetary Fund.

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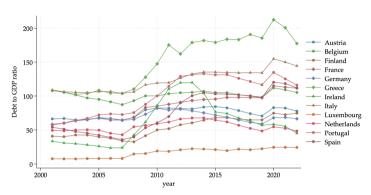
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What are the implications for monetary policy?

Building on "The Regional Keynesian Cross" (Bellifemine, Couturier & Jamilov (2023))

▶ Develop a HANK model of a currency union with heterogeneous public debt

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- Central bank faces a stabilization-synchronization trade-off
  - Response of MP to shocks stabilizes average inflation but transmits differently to countries
  - $\diamond$  What architecture can alleviate the trade-off?  $\longrightarrow$  study policy proposals

## MODEL

Currency union with countries j, within-country incomplete markets:

$$\max_{\{c_{jit}, a_{jit}\}_{t \geq 0}} \mathbb{E}_0 \sum_{t \geq 0} \beta^t u(c_{jit}, \ell_{jit}), \text{ s.t. } c_{jit} + a_{jit} = (1 - \tau) w_{jt} e_{jit} \ell_{jit} + t_{jt} + \frac{1 + i_{t-1}}{1 + \pi_{jt}} a_{jit-1}, \ a_{jit} \geq \underline{a}$$

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$$\diamond \quad \mathsf{Demand:} \ c_{\mathit{jit}} = \mathcal{D}\left(c_{\mathit{jit}}^{\mathit{NT}}, c_{\mathit{jit}}^{\mathit{T}}; \nu\right), \quad c_{\mathit{jit}}^{\mathit{T}} = \mathcal{T}\left(\left\{c_{\mathit{jit}}^{\mathit{T}}(j')\right\}_{j'}; \nu\right)$$

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Only dimension of regional heterogeneity

Fiscal reaction function + heterogeneous SS public debt:

$$B_{jt} - B_{jt-1} = -\gamma_{\ell} (L_{jt} - \bar{L}_{j}) - \gamma_{b} (B_{jt-1} - \bar{B}_{j}), \quad B_{jt} - B_{jt-1} = D_{jt} + r_{jt}B_{jt}$$

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ho: share of non-tradable labor income

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Government's budget constraint + fiscal rule:

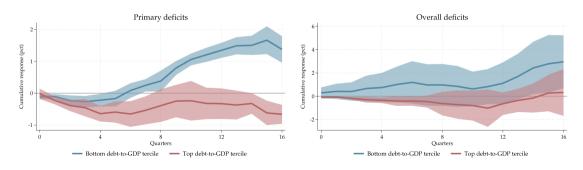
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- National Keynesian Cross:

$$\widehat{c}_{j} = \underbrace{M^{r}\widehat{r}_{j}}_{\text{Direct eff.}} + \underbrace{M^{r}\widehat{t}_{j}}_{\text{Fiscal react.}} + \underbrace{\rho M \widehat{c}_{j}}_{\text{Multiplier}} + \underbrace{(1-\rho)M\widehat{c}^{T}}_{\text{Foreign demand}} + \underbrace{M \widehat{w}_{j}}_{\text{Real wage}} - \underbrace{\nu M \left(\rho \widehat{w}_{j}^{NT} - (1-\rho)\widehat{s}_{j}\right)}_{\text{Expenditure switching}}$$

$$\widehat{c}_{j} \equiv \left(d \log c_{j1}, d \log c_{j2}, \dots\right)', \quad (M^{r})_{ts} = \frac{\partial \log c_{jt}}{\partial \log(1 + r_{js})}, \quad (M^{t})_{ts} = \frac{\partial \log c_{jt}}{\partial \log t_{js}}, \quad (M)_{ts} = \frac{\partial \log c_{jt}}{\partial \log y_{js}}, \quad \widehat{s}_{j} : \text{ToT}$$

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♦ High public debt → smaller primary deficit response → larger consumption response

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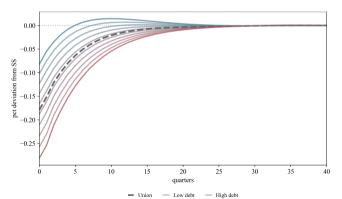
- $\diamond$  High public debt  $\longrightarrow$  smaller primary deficit response  $\longrightarrow$  larger consumption response
- $\diamond$  New Keynesian Phillips curve: larger consumption response  $\longrightarrow$  larger inflation response

# HETEROGENEOUS MONETARY TRANSMISSION IN THE UNION

► A monetary union with 10 countries, debt-to-GDP ratios of 8%-180% (≈ EZ)

# HETEROGENEOUS MONETARY TRANSMISSION IN THE UNION

- ► A monetary union with 10 countries, debt-to-GDP ratios of 8%-180% (≈ EZ)
  - Large dispersion in the consumption response
  - ♦ Low public debt countries less responsive ← more space for primary deficits



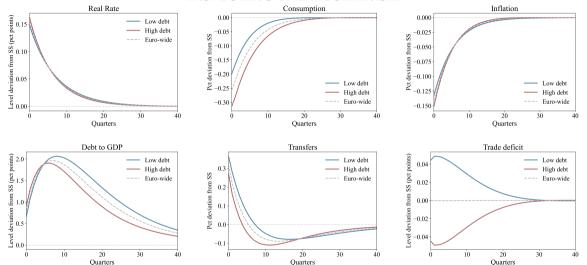
Note: consumption resp. to a shock increasing interest rates i<sub>1</sub> by 1 p.p. (annualized) on impact, with quarterly persistence 0.85.

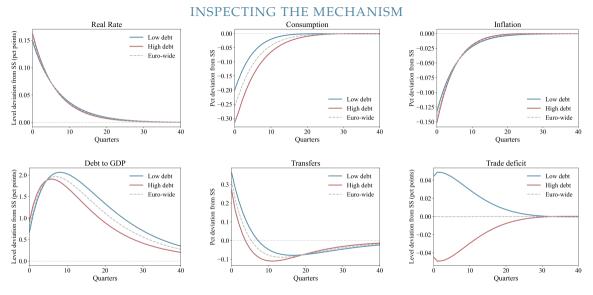
## INSPECTING THE MECHANISM

- ► Two-countries calibration: Germany and Italy
  - Only differ in SS debt-to-GDP ratios (60% and 134%), identical in all other parameters

lacktriangle Calibrate fiscal rules based on Galí and Perotti (2003)  $\longrightarrow \gamma^L = 1$  and  $\gamma^B = 0.07$ 

# INSPECTING THE MECHANISM





Same interest rate change induces different effects across countries

## BUSINESS CYCLE PROPERTIES FOR DIFFERENT MONETARY STANCES

- ▶ Business cycle properties
  - Discount factor shocks

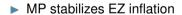
MP stabilizes EZ inflation

$$\diamond i_t = \phi \pi_t + \varepsilon_t^i$$

Dove vs Hawk

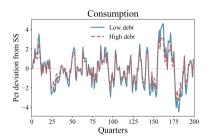
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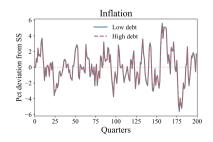
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Dove vs Hawk





Dove,  $\phi = 1.01$ 

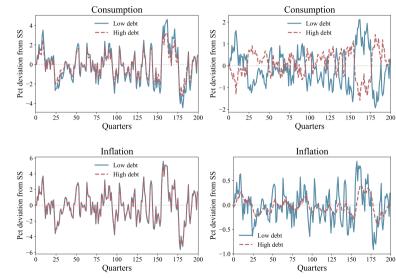
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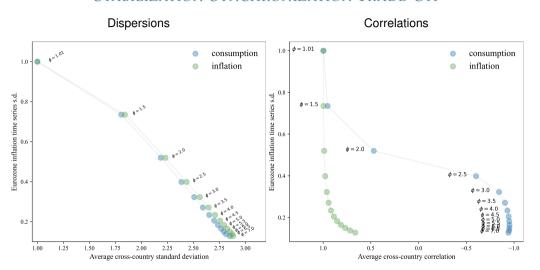
Dove vs Hawk



Dove,  $\phi = 1.01$ 

Hawk,  $\phi = 7$ 

# STABILIZATION-SYNCHRONIZATION TRADE-OFF



Note: we normalize all std measures to one for the smallest Taylor coefficient. Correlation measures are not normalized.

## POLICY EXPERIMENTS

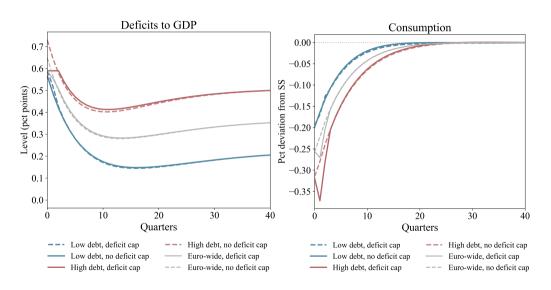
I Deficit caps

TT Fiscal union

III Political Union

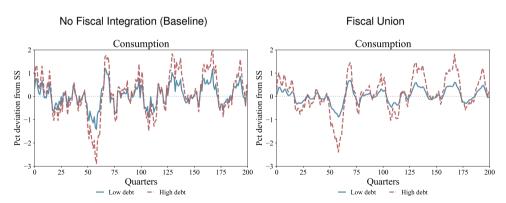
IV Augmented Taylor rule

# DEFICIT CAPS AMPLIFY THE TRADE-OFF



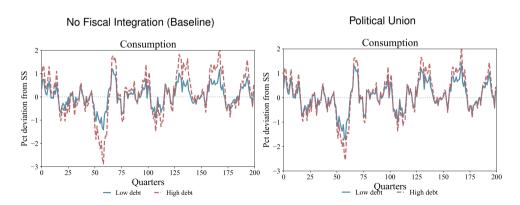
# FISCAL UNION

- Issue bonds to send lump-sum transfers equally across countries (€-bonds)
  - Stabilizes average activity
  - ⋄ Does not improve synchronization ← GE effects on interest rates



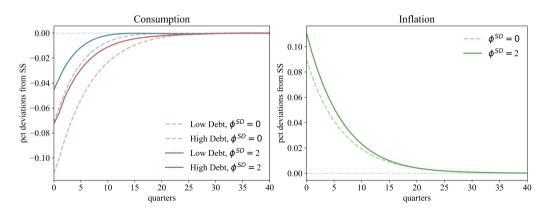
# POLITICAL UNION

- Political union: cross-country transfers under balanced budget
  - Effective at improving synchronization
  - Countries' net contributions zero on average



# **AUGMENTED TAYLOR RULE**

$$i_t = \phi \pi_t - \phi^{SD} \sqrt{\mathbb{V} a r_j \hat{c}_{jt}} + \varepsilon_t^i$$



#### CONCLUSION

Heterogeneity	in fiscal	space	across	members	of a	monetary	v union:
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I Leads to unequal transmission of monetary policy

II Gives rise to a trade-off between stabilization and synchronization for MP

III Deficit caps & fiscal union cannot address the trade-off; political union could

# **Appendix**

# CALIBRATION PACK

Parameter	Description	Value	Comment
β	Discount factor	0.98	Standard
$\sigma$	Inverse IES	1	Standard
arphi	Frisch Elasticity	1	Chetty et al. (2011)
$\omega$	Preference for non-trad. consumption	0.66	Hazell et al. (2022)
$\alpha$	Preference for non-trad. labor supply	0.66	Hazell et al. (2022)
$\nu$	Cons. elasticity of subs. btw sectors	1.5	Hazell et al. (2022)
$\psi$	Elasticity of subs. btw tradables	1.5	Equal to $\nu$ for exposition
$\eta$	Labor elasticity of subs. btw sectors	0.45	Berger et al. (2022)
$ ho_e$	Pers. of log-productivity process	0.92	Auclert et al. (2021)
$\sigma_e$	Std. of log-productivity process	0.6	Auclert et al. (2021)
$\underline{b}$	Borrowing limit	0	Standard
$\mu$	Union market power	21	Schmitt-Grohé and Uribe (2005)
$\theta$	Wage rigidity	210	Target 0.1 slope of wage NKPC
au	Income tax rate	30%	Eurozone average
$\bar{B}_1/\bar{Y}_1$	Debt to GDP in country 1	134%	Italy, 2019 (source: AMECO)
$\bar{B}_2/\bar{Y}_2$	Debt to GDP in country 2	60%	Germany, 2019 (source: AMECO)
$\gamma^L$	Response of deficits to L	1	Galí and Perotti (2003)
$\gamma^B$	Response of deficits to debt	0.07	Galí and Perotti (2003)

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